$$S = \sum_{i \neq 1}^{\infty} N = 1 + 2 + 3 + 4 + \cdots$$
 = ? = $-\frac{1}{12}$ \bigcirc ?!?

$$S_1 = \sum_{N=1}^{\infty} (-1)^{N+1} = 1 - 1 + 1 - 1$$

$$S_{1} = (1-1) + (1-1) + (1-1) + \dots = 0$$

$$S_{1} = 1 + (-1+1) + (-1+1) + \dots = 1 + 0 = 1$$

$$S_{1} = 1 = 1$$

$$S_{1} = 1 = 1$$

$$S_{1} = 1$$

$$S_{1} = 1$$
 = $S_{1} = 1/2$

$$2S_{1} = 1 = 3 S_{1} = 1/2$$

$$2.S_{2} = 1 - 2 + 3 - 4 + 5 - 6 + 7 - \dots$$

$$1 = 1 - 1 + 1 - 1 + 1 - \dots$$

$$2S_{3} = 1$$

$$3S_{3} = 2$$

$$5 - S_{2} = 4S$$

$$5 - \frac{1}{4} = 4S$$

$$3S_{3} = -\frac{1}{4}$$

$$S_{3} = -\frac{1}{4}$$

$$= 51$$

= $1/2$ = $152 = 1/4$ E

$$S-S_{2} = 1+2+3+4+5+...$$

$$= [1-2+3-4+5-...]$$

$$= 0+4+0+8+0+12+... = 4(1+2+3+4+5+...)$$

 $3S = -\frac{1}{4}$ $S = -\frac{1}{12}$

Wednesday, October 27, 2021

Diam
$$S_{N} = S_{N}$$

$$\overline{S}_{n} = c.\alpha_{1} + ... + c.\alpha_{n} = c.\left(\underline{\alpha_{1} + ... + \alpha_{M}}\right) = c.S_{n}$$

$$\overline{S}_{n} = c.\alpha_{1} + ... + c.\alpha_{n} = c.\left(\underline{\alpha_{1} + ... + \alpha_{M}}\right) = c.S_{n}$$

$$\overline{S}_{n} = c.\alpha_{1} + ... + c.\alpha_{n} = c.S_{n} = c.S_{n}$$

$$\overline{S}_{n} = c.\alpha_{1} + ... + c.\alpha_{n} = c.S_{n} = c.S_{n}$$

$$\overline{S}_{n} = c.\alpha_{1} + ... + c.\alpha_{n} = c.S_{n} = c.S_{n}$$

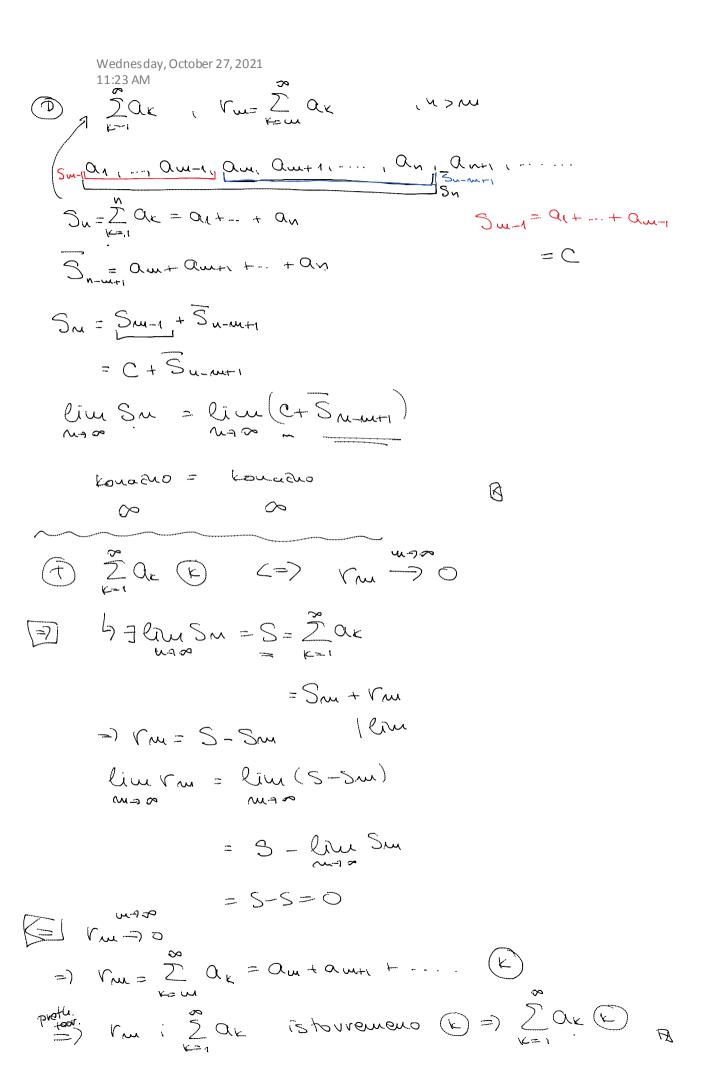
$$\overline{S}_{n} = c.\alpha_{1} + ... + c.\alpha_{n} = c.S_{n} = c.S_{n} = c.S_{n}$$

$$\overline{S}_{n} = c.\alpha_{1} + ... + c.\alpha_{n} = c.S_{n} = c.S$$

Wednesday, October 27, 2021 11:23 AM

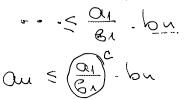
11.23 M

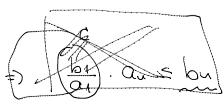
$$\int_{1}^{1} Q_{2} (E) \Rightarrow \lim_{N \to \infty} \int_{1}^{\infty} \int_$$

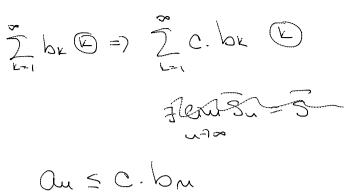




$$\frac{\alpha_{2}}{\alpha_{1}} \leq \frac{\beta_{2}}{\beta_{1}} \qquad \frac{\alpha_{3}}{\alpha_{2}} \leq \frac{\beta_{3}}{\beta_{2}} \qquad \frac{\beta_{3}}{\beta_{2}} \qquad \frac{\beta_{3}}{\beta_{3}} \qquad \frac{\beta_{3}}{\beta$$







Jan , 2 c.bn

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